

W9L1: CHAPTER 7 - REDSHIFTS

7.1 - read

- space-time

- metrics

- Robertson-Walker metric

- Schwarzschild metric

homogeneous

isotropic

expanding

Universe

7.2

Redshifts

emitted signal ν_0

observed ν

← shifted from ν_0

$$\lambda = \frac{c}{\nu}$$

λ_0 rest wavelength

$\Delta\lambda + \Rightarrow$ redshift

$\Delta\lambda \text{ neg} \Rightarrow$ blueshift

$$E = \frac{hc}{\lambda}$$

Generally > 20 Mpc observed λ redshifted

$$z \equiv \frac{\Delta\lambda}{\lambda_0} = \frac{\lambda - \lambda_0}{\lambda_0} = \frac{\lambda}{\lambda_0} - 1$$

redshift
parameter

$$\frac{V_0 - v}{v} \leftarrow \text{NB}$$

3 kinds of z - contributions to z

① Peculiar redshift - object moves through space
- kinematics, inherent velocity,
Doppler shift

② Expansion redshift - object moves with
space

③ Gravitational z - photon emerges from neighbour-
hood of large mass

① Doppler - peculiar

$$z = \frac{\Delta \lambda}{\lambda_0} = \left(\frac{1 + v_r/c}{1 - v_r/c} \right)^{1/2} - 1$$

Table I.1
eq 7.2

observable

$v_r =$ radial velocity

$v_r =$ movement towards / away from us

if $v_r \ll c$

$$\Rightarrow z = \frac{v_r}{c} = \frac{\Delta \lambda}{\lambda_0}$$

powerful eq + easy to measure, objects
orbiting bodies - test particle

consisting of

rotational velocity $v_c \leftarrow$ circular velocity

- e.g.
- ⊕ around ⊙
 - ⊙ around MW
 - extragalactic systems
 - * in galaxies

v_{sys}

thin disks
thickness \ll
diam.



dusty disks around
stars



HD 15115



HD 32297



HD 61005



HD 181327



MP Mus



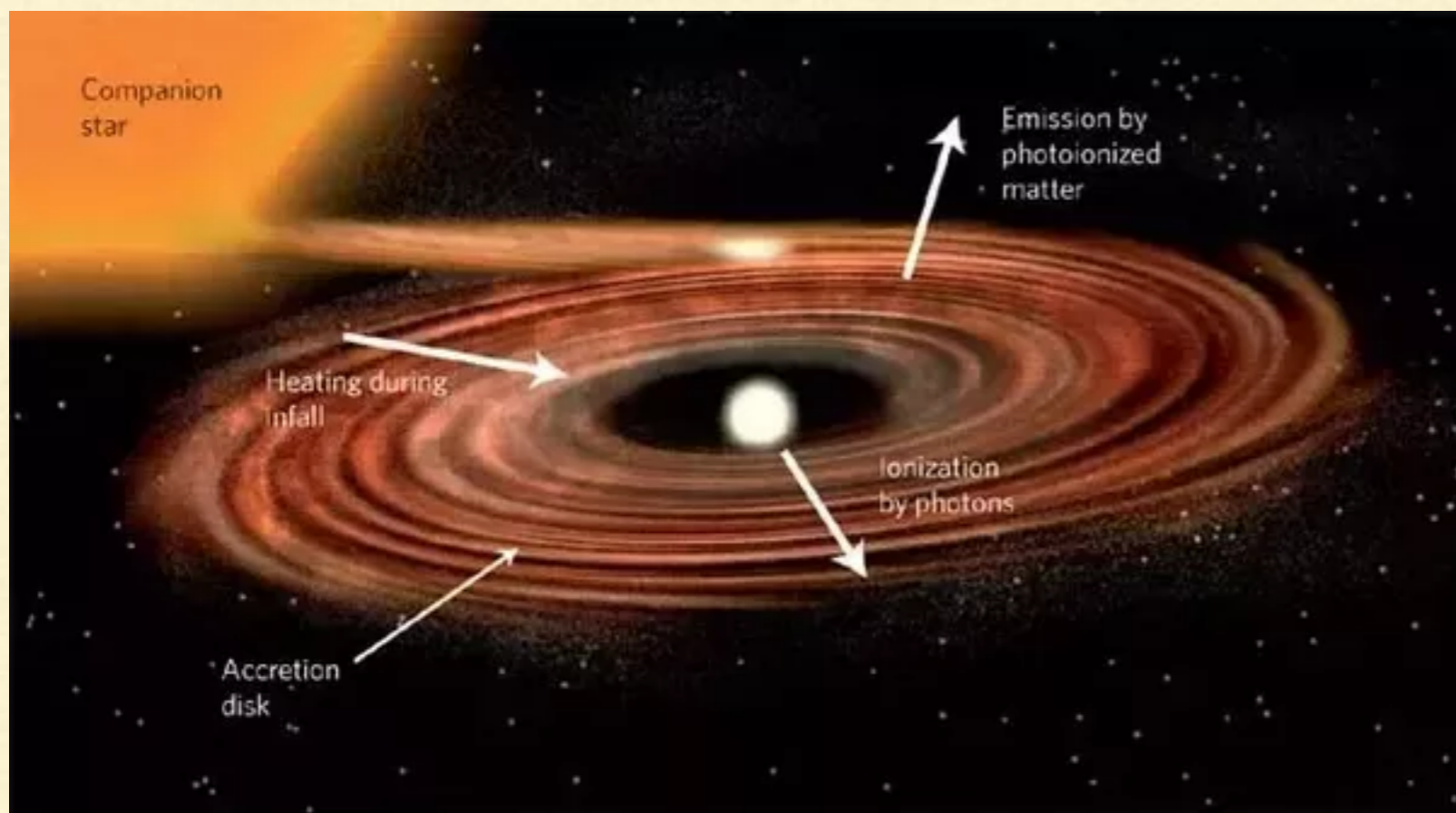
Sombrero

NGC 4594

dusty disks
in elliptical
galaxies

Spitzer





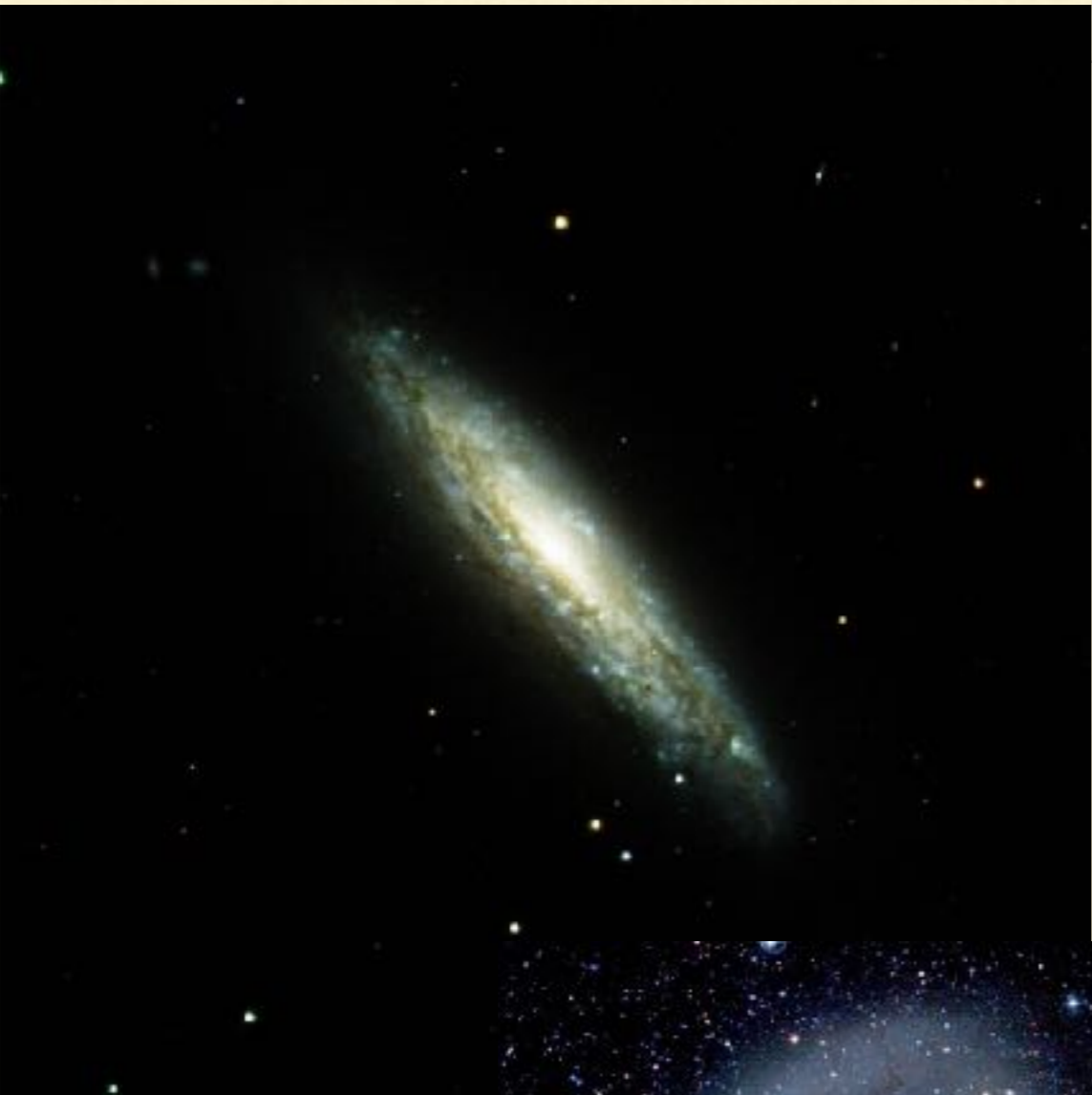
hot gaseous
disks

accretion disks
around compact
objects

neutron stars, BH



NGC 4668



NGC 891



M 500

discs are common in astrophysics!

galaxy disk, edge-on to us

heliocentric
radial vel.

\odot is point
of ref
others:

centre of
MW,

LSR - Local
Standard of Rest

150 km/s

out from
plane of disk

$v_{\text{sys}} = 200 \text{ km/s}$

$z = 6.7 \cdot 10^{-4}$

250 km/s

into the
plane of
the disk

$z = 8.33 \cdot 10^{-4}$

$$z = \frac{\Delta\lambda}{\lambda_0} = \frac{v_r}{c} = \frac{150 \cdot 10^5}{3 \cdot 10^{10}} = 5 \cdot 10^{-4}$$

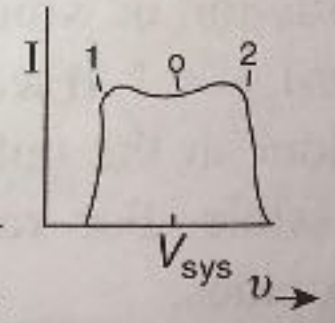
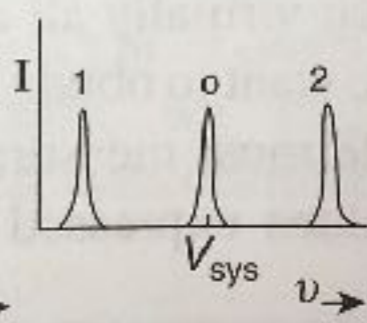
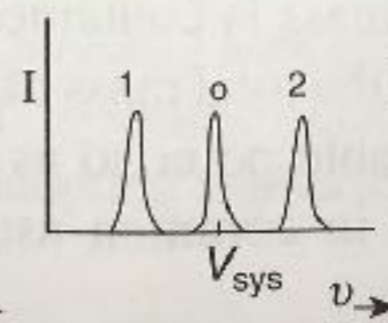
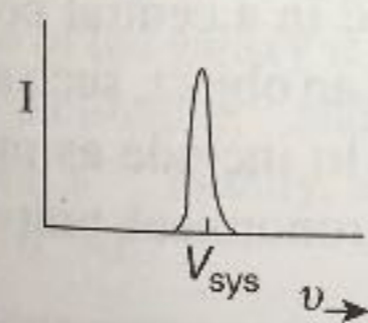
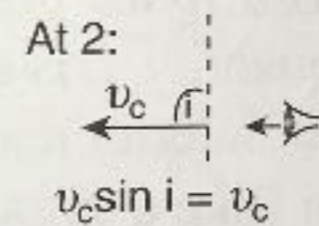
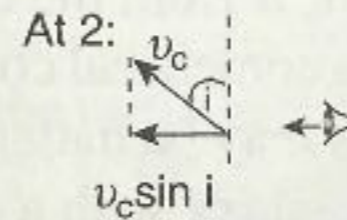
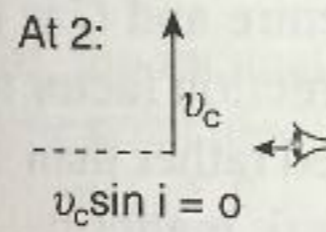
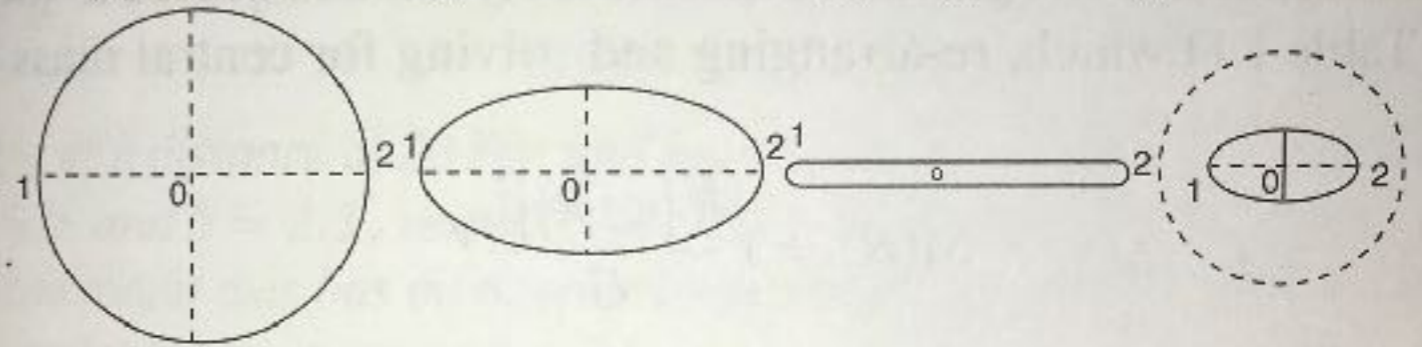
edge-on \Rightarrow incl is 90°
face-on \Rightarrow 0°

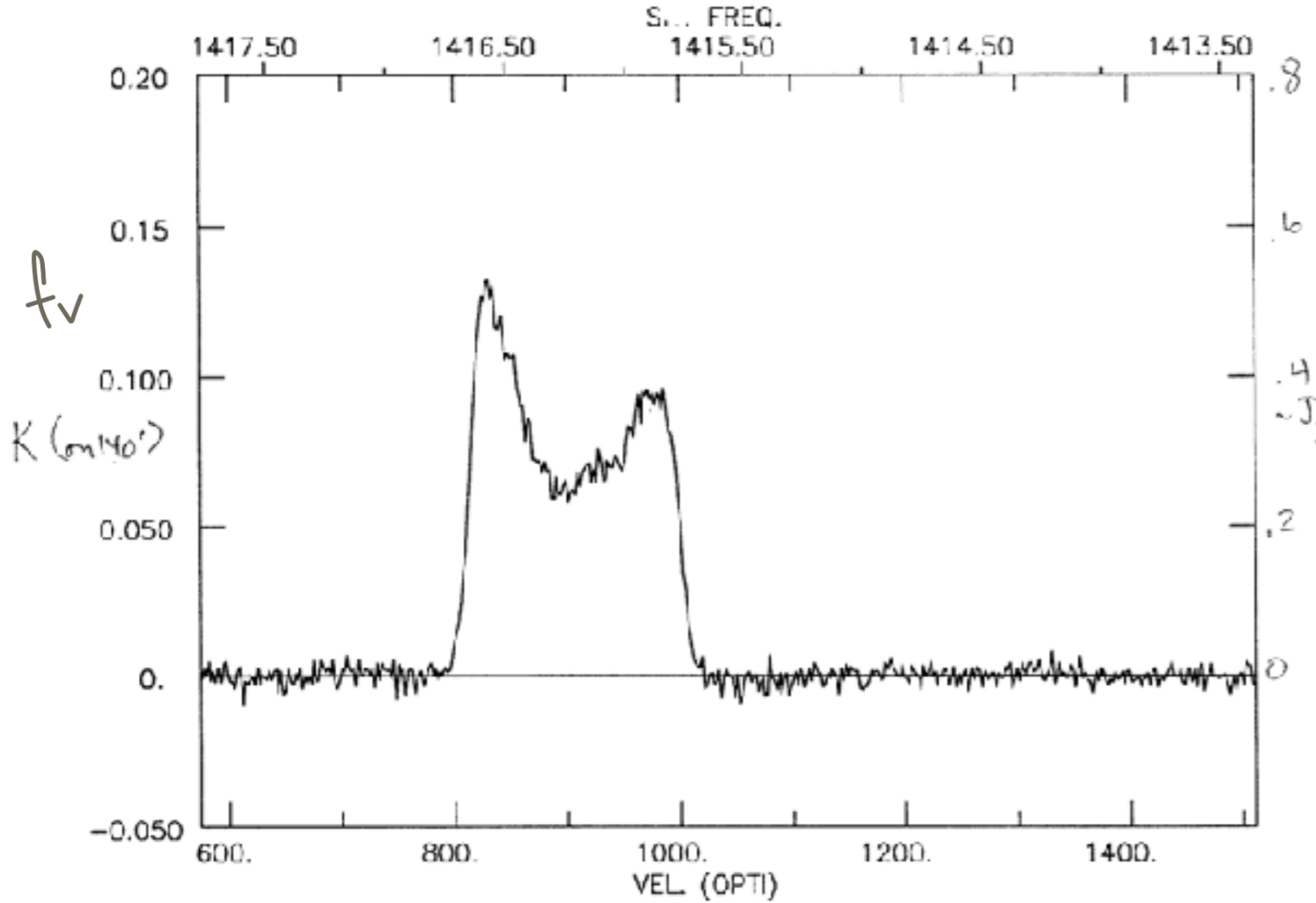
} partially inclined
 $0 < i < 90$

fig 7.4

7.2 REDSHIFTS AND BLUESHIFTS

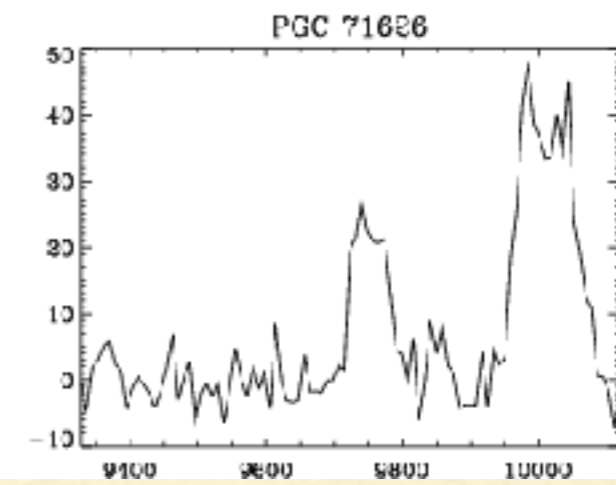
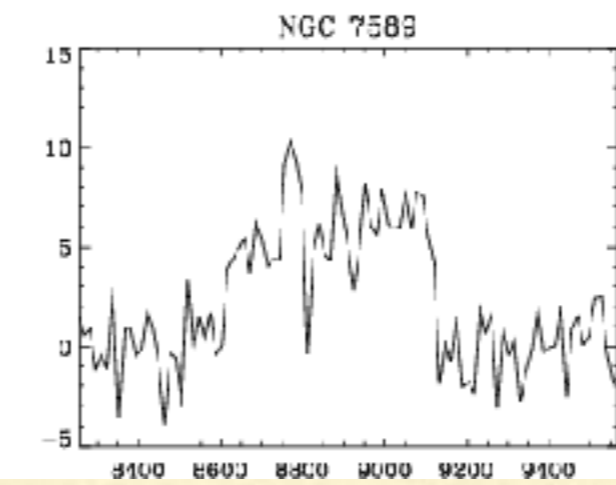
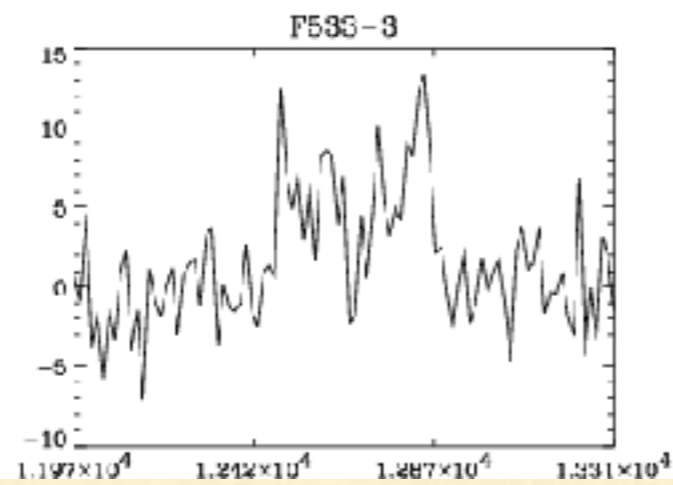
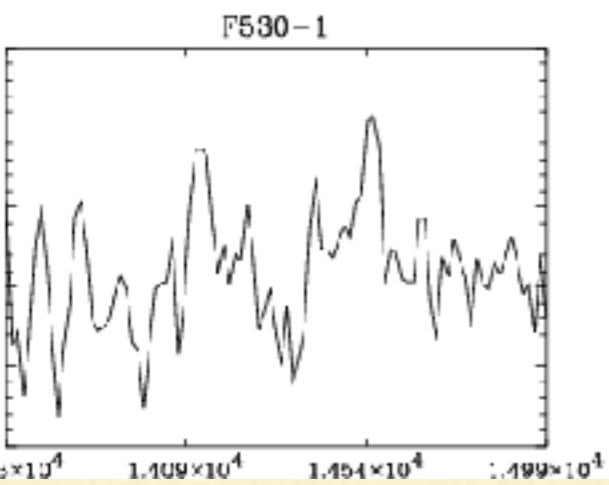
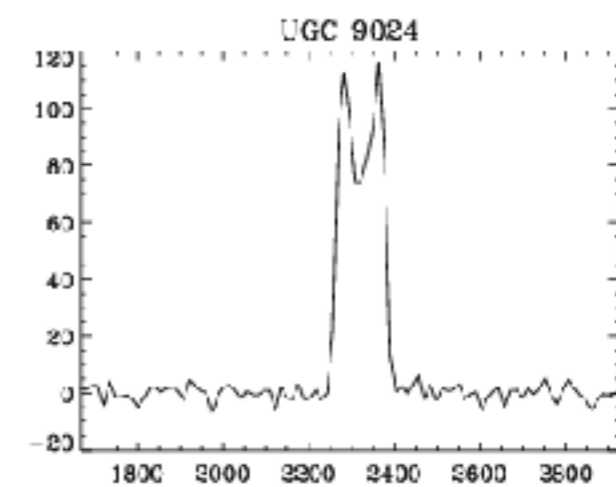
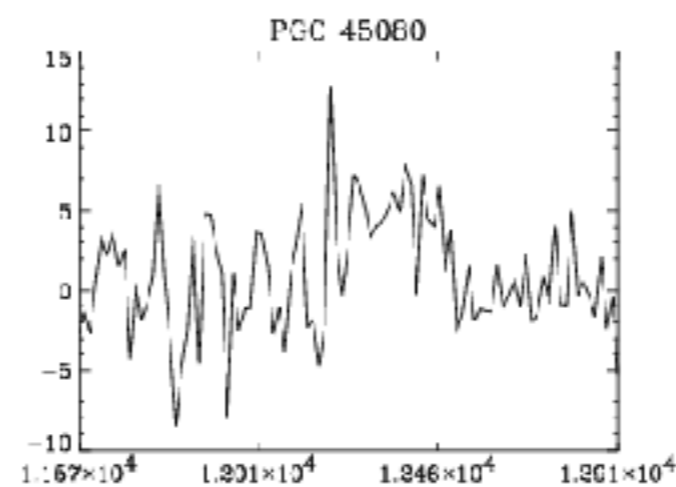
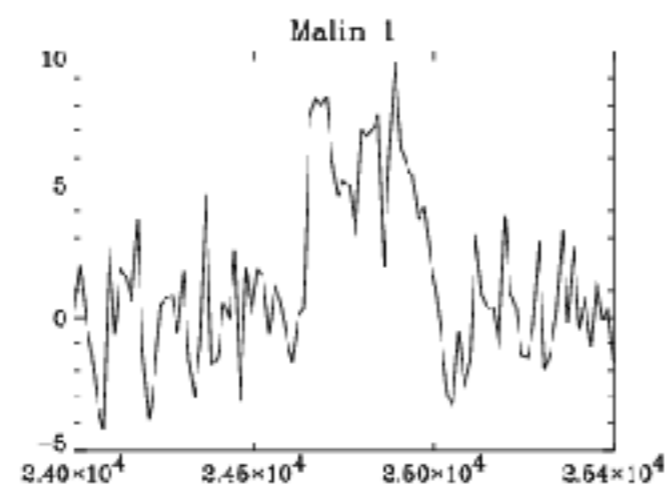
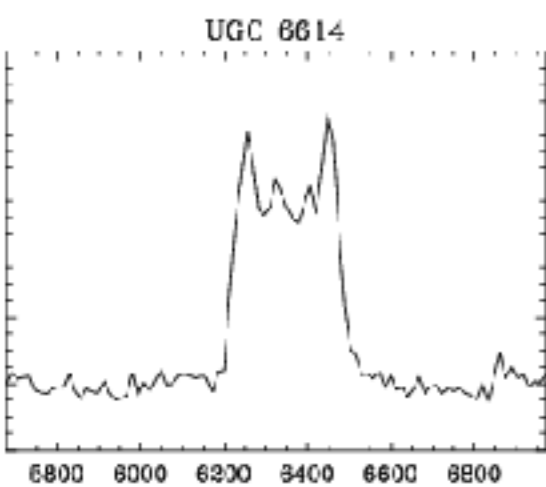
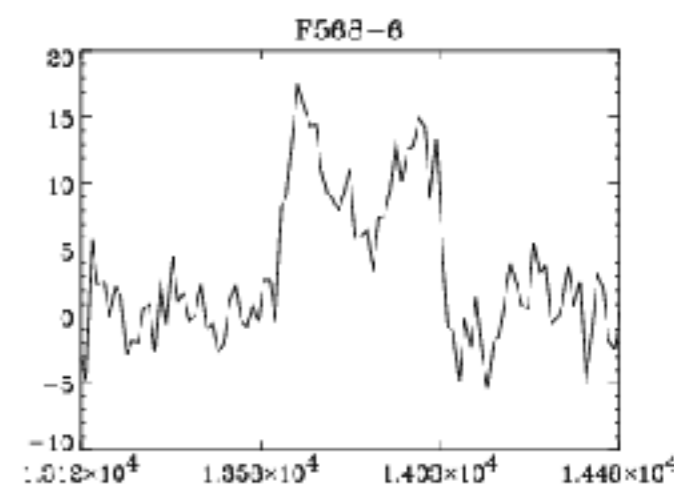
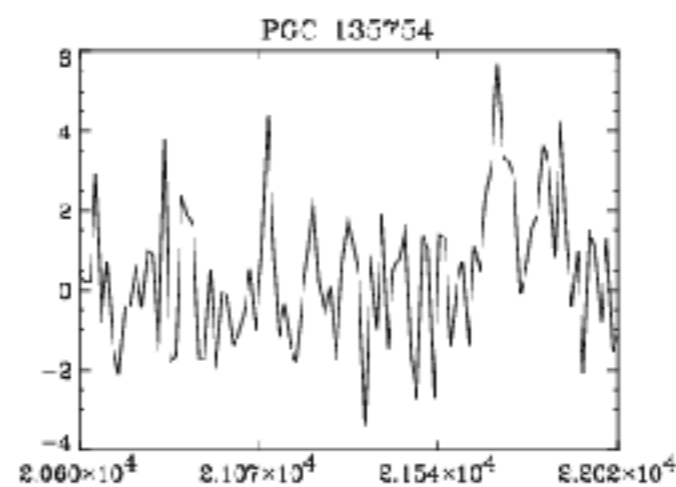
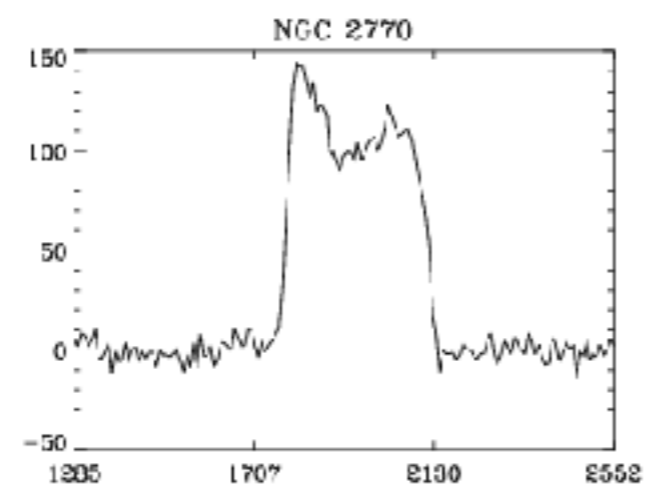
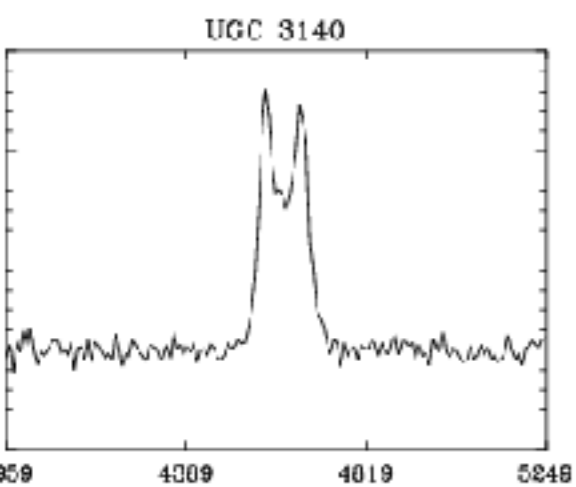
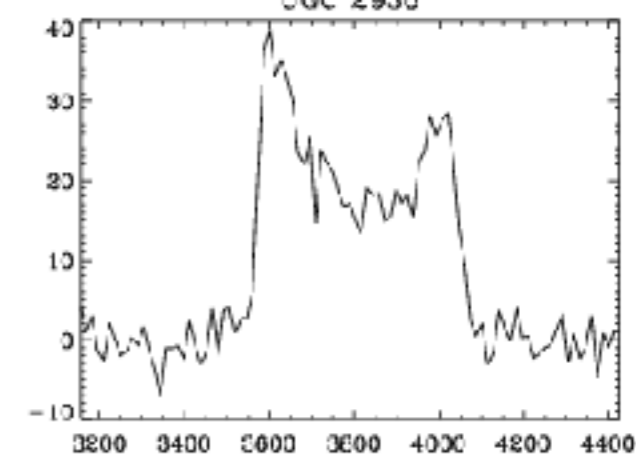
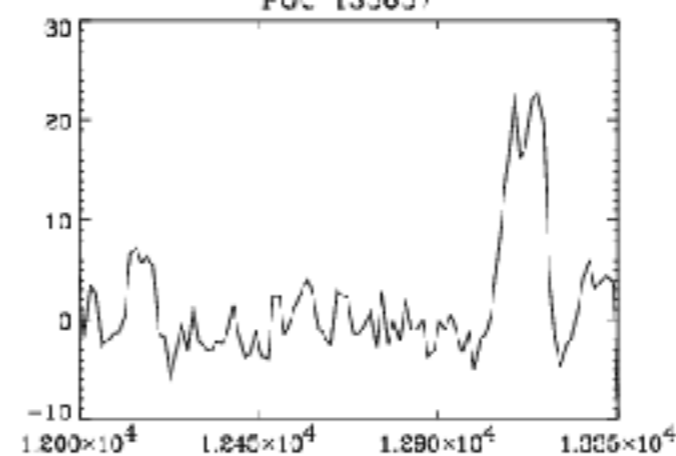
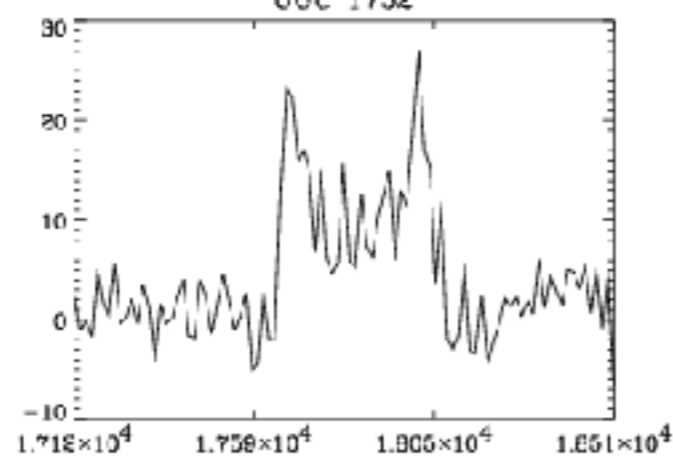
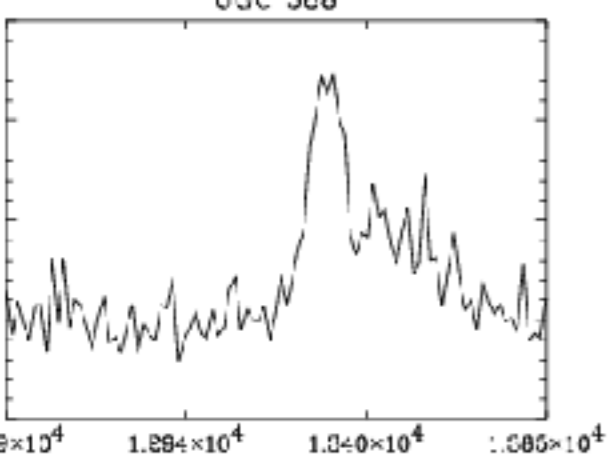
(a) Face-on (b) Intermediate (c) Edge-on (d) Unresolved

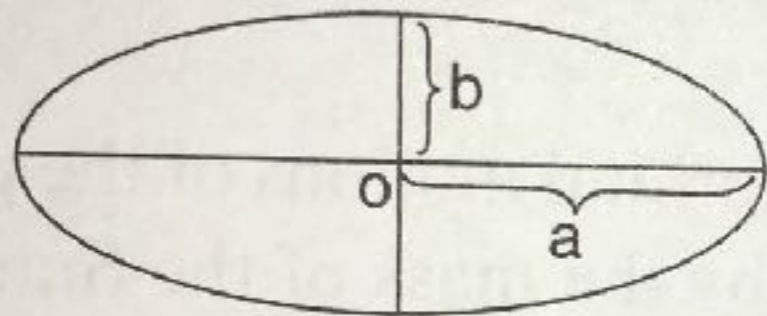




double-horned profile

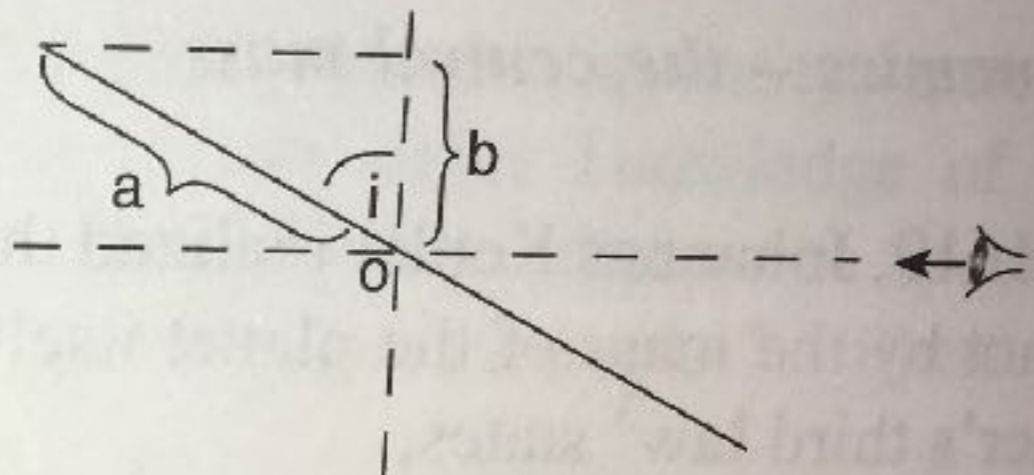
This integrated HI spectrum of UGC 11707 obtained with the 140-foot telescope (beamwidth ≈ 20 arcmin) shows the typical two-horned profile of a spiral galaxy.





Face-on view of inclined circular disk

(a)



side view of inclined circular disk

(b)

Figure 7.3 (a) A circular galaxy that is inclined to the line of sight will look elliptical in projection. The galaxy's true radius is a . When inclined, its apparent semi-major axis is a but its semi-minor axis is b , as shown. (b) This side view shows the minor axis of the inclined galaxy of (a) and its inclination.

$$V_r \text{ measured} : V_r = v_{\text{true}} \sin i$$

$$\text{need } i : \cos i = \frac{b}{a}$$

b — semi-minor axis
 a — semi-major axis

usually degrees.

Get mass enclosed by

"test particle" for which we measure v_c

$$\frac{GM_{\text{encl}}}{R^2} = \frac{m v_c^2}{R} \Rightarrow M = \frac{v_c^2 R}{G}$$

need mass of gal?
measure v_c @ outermost point