

Figure 5.1. Illustration of (a) random scattering and (b) absorption along a line of sight. The observer is meant to be far from the source as well as the scattering medium in this diagram. Darker arrows convey a more intense signal.

Scattering: interaction \Rightarrow change of direction
 absorption: photon lost, | can't be used
 absorption.

Ex of abs:
 ~~~~~> dust grain  $\leftarrow$  heats the grain  
 ~~~~~> atom-ionization  
 ~~~~~> atom excitation followed by collision

# Examples of Scattering

- elastic, coherent  
(particle) (wave)

"bounce"

$$h\nu_{\text{incoming}} = h\nu'_{\text{outgoing}} \quad \text{i.e. no change in energy or } \lambda$$

- Thomson scattering

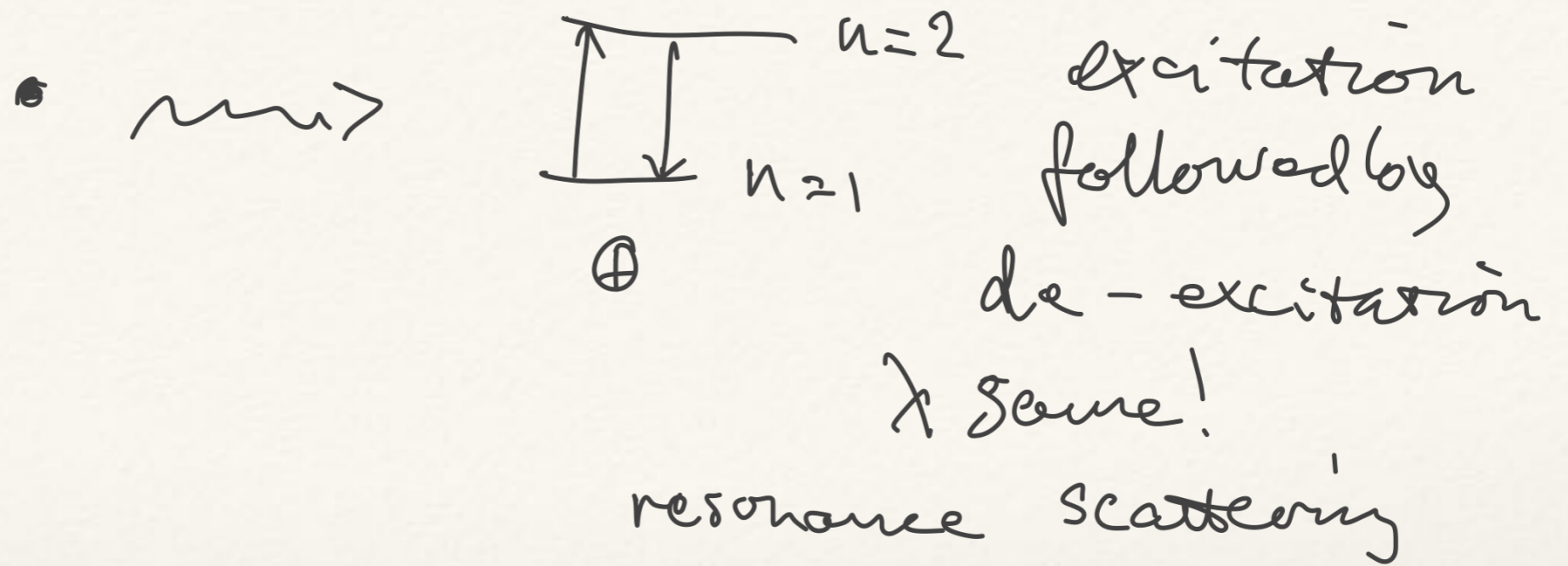
ionized gas  
(or partially ionized)

  $e^-$

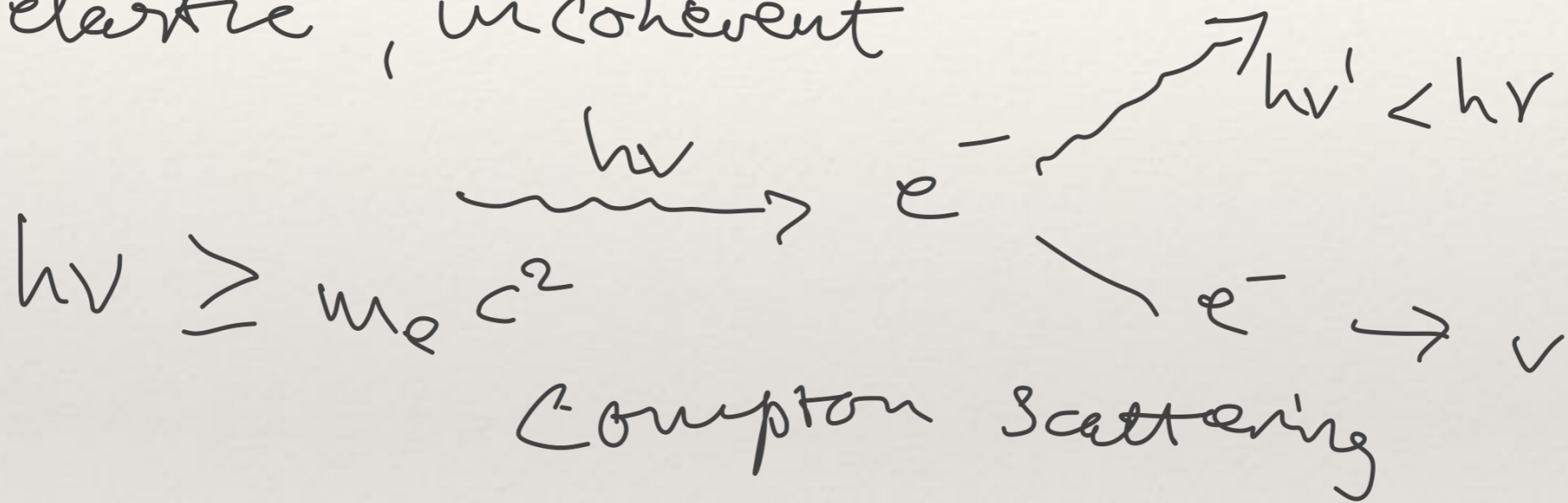
if  $E_{\nu_{\text{incoming}}} \ll m_e c^2 \Rightarrow$  free  $e^-$

then elastic (otherwise some  $E \rightarrow e^-$ )

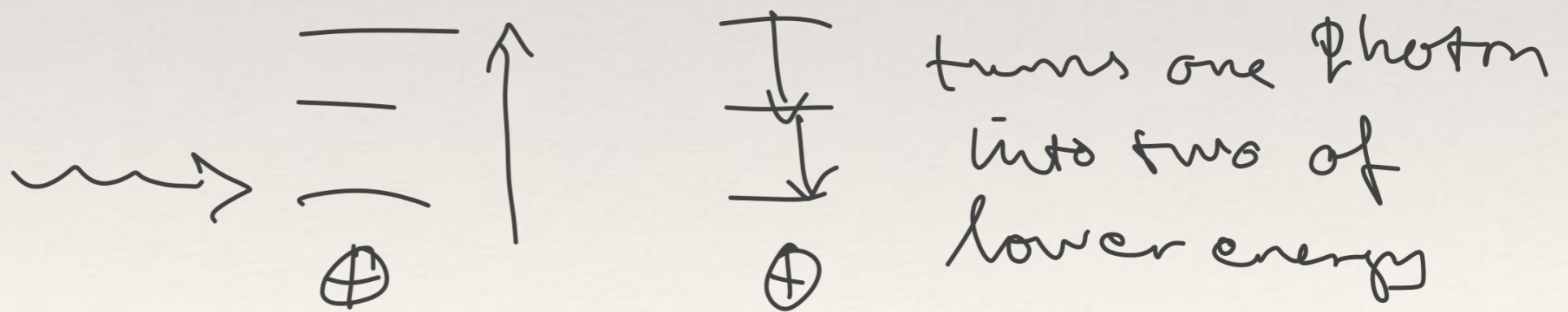
very common whenever ionized gas!

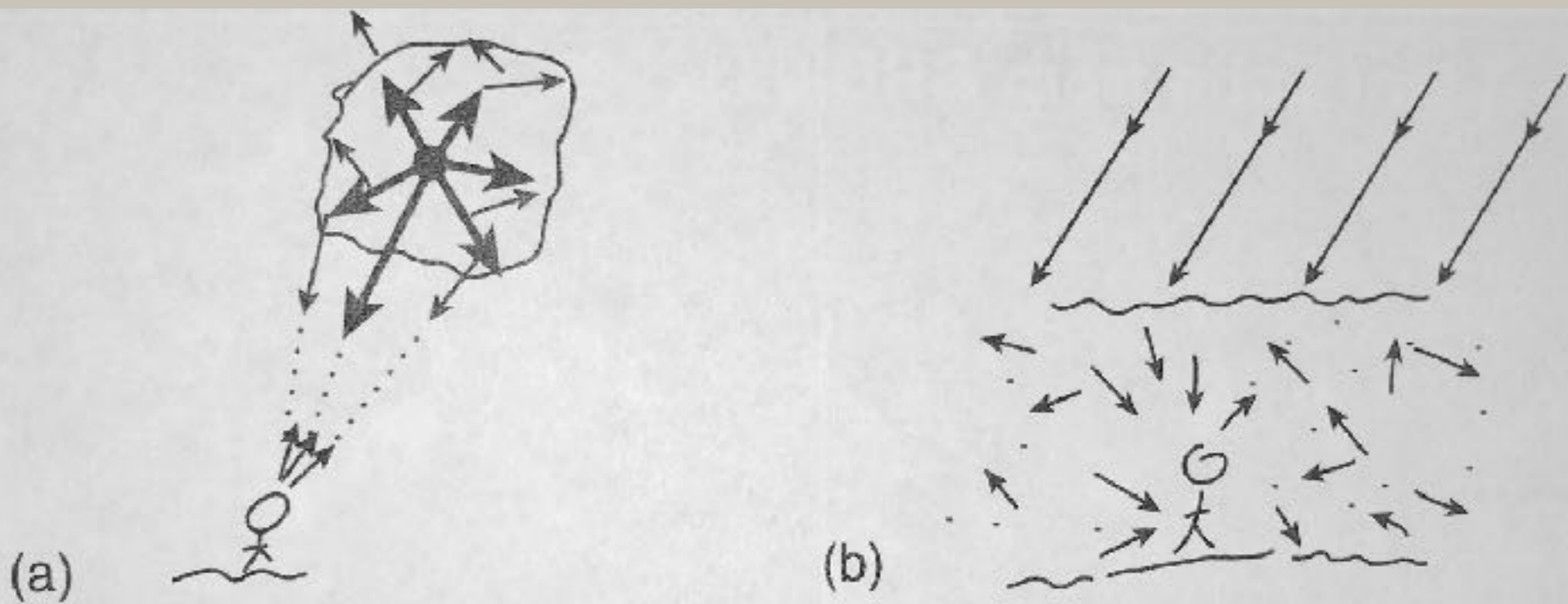


• Inelastic, incoherent



Example





**Figure 5.2.** Two examples of scattering into the line of sight. (a) Dust particles surrounding a star scatter its light randomly, but some of these photons will be directed towards the observer. Thus, the observer sees a faint glow around the star, much like the glow around a streetlight on a misty night. (b) When the observer is within a randomly scattering medium, light can enter his eye from all directions even though the original source of light is in one direction only.

possible to scatter photons into your LOS

a) dust around a star - random, some to observer

⇒ glow around the star

= reflection nebula : light source inside

b) e.g. sky

scattering medium

How tell if light is scattered?

- geometry is a clue

- polarization

$$D_p = \frac{I_{pol}}{I}$$

↗ degree of polarization

← fraction of polarized light

$$(I = I_{pol} + I_{unpol})$$

Merope (Pleiades)  
reflection nebula

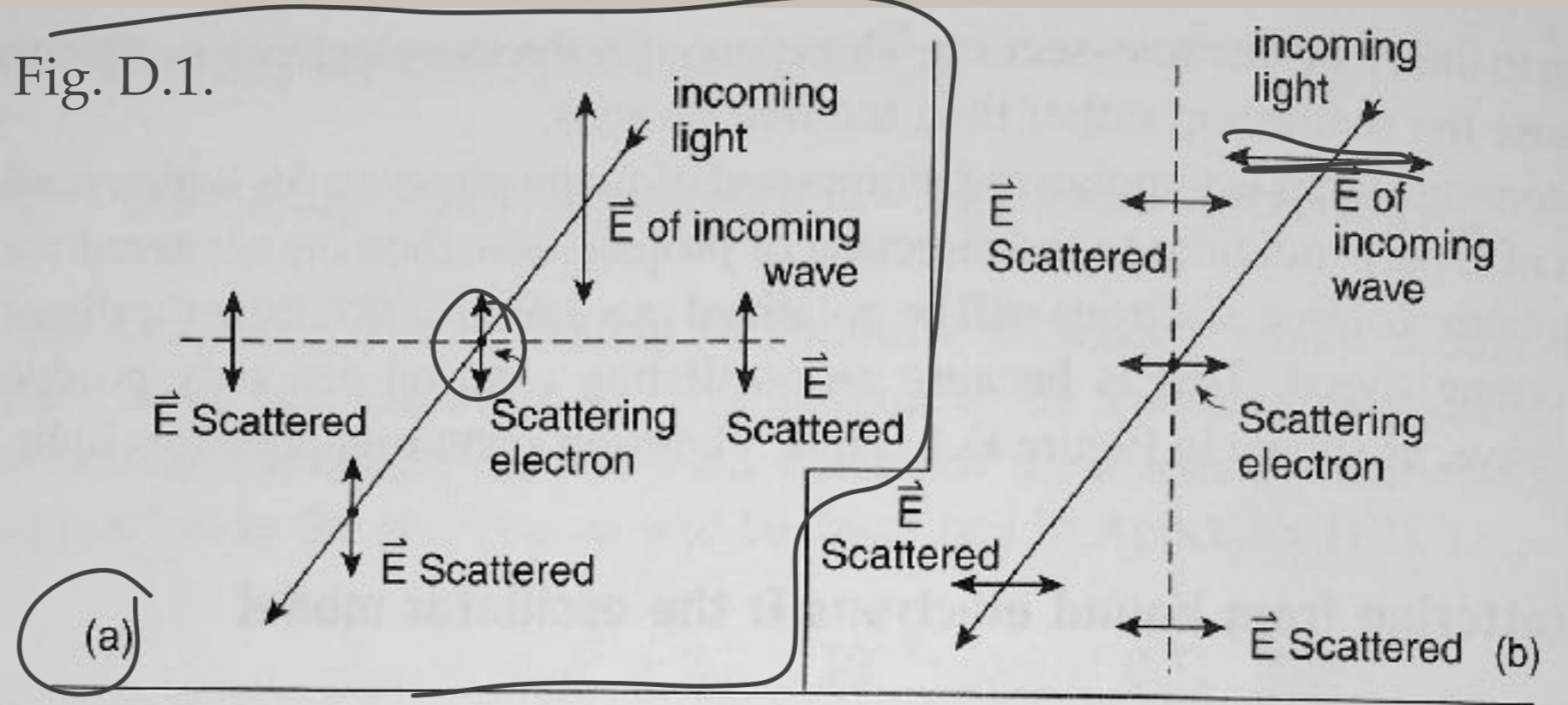


M20, the Trifid nebula  
reflection nebula and  
HII region



Observer  $\perp$   
 to polarizer  
 $\Rightarrow$  can see  
 polarized  
 light

Fig. D.1.



Thomson or  
 Rayleigh  
 scattering:  
unpol  $\Rightarrow$  pol

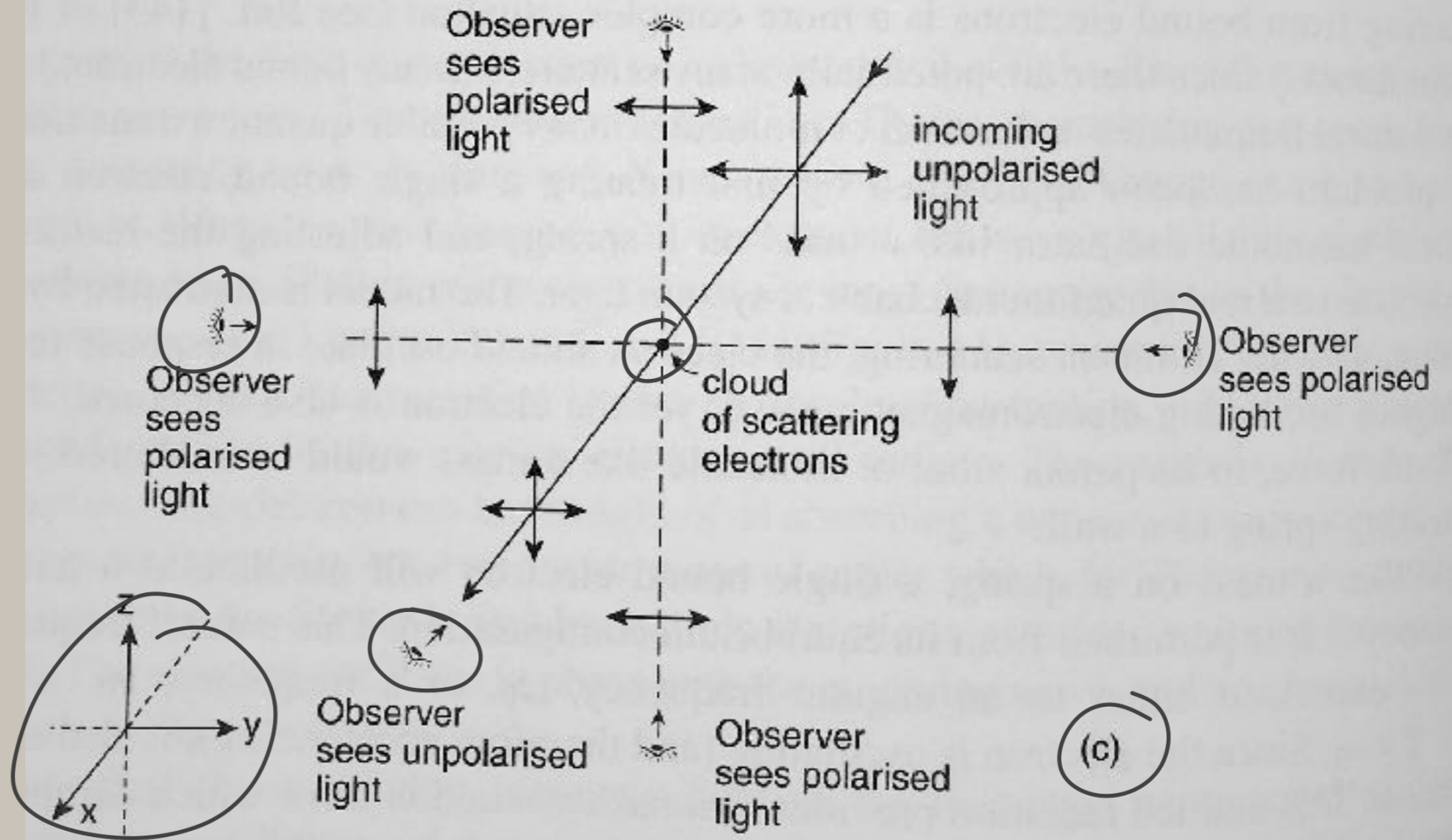
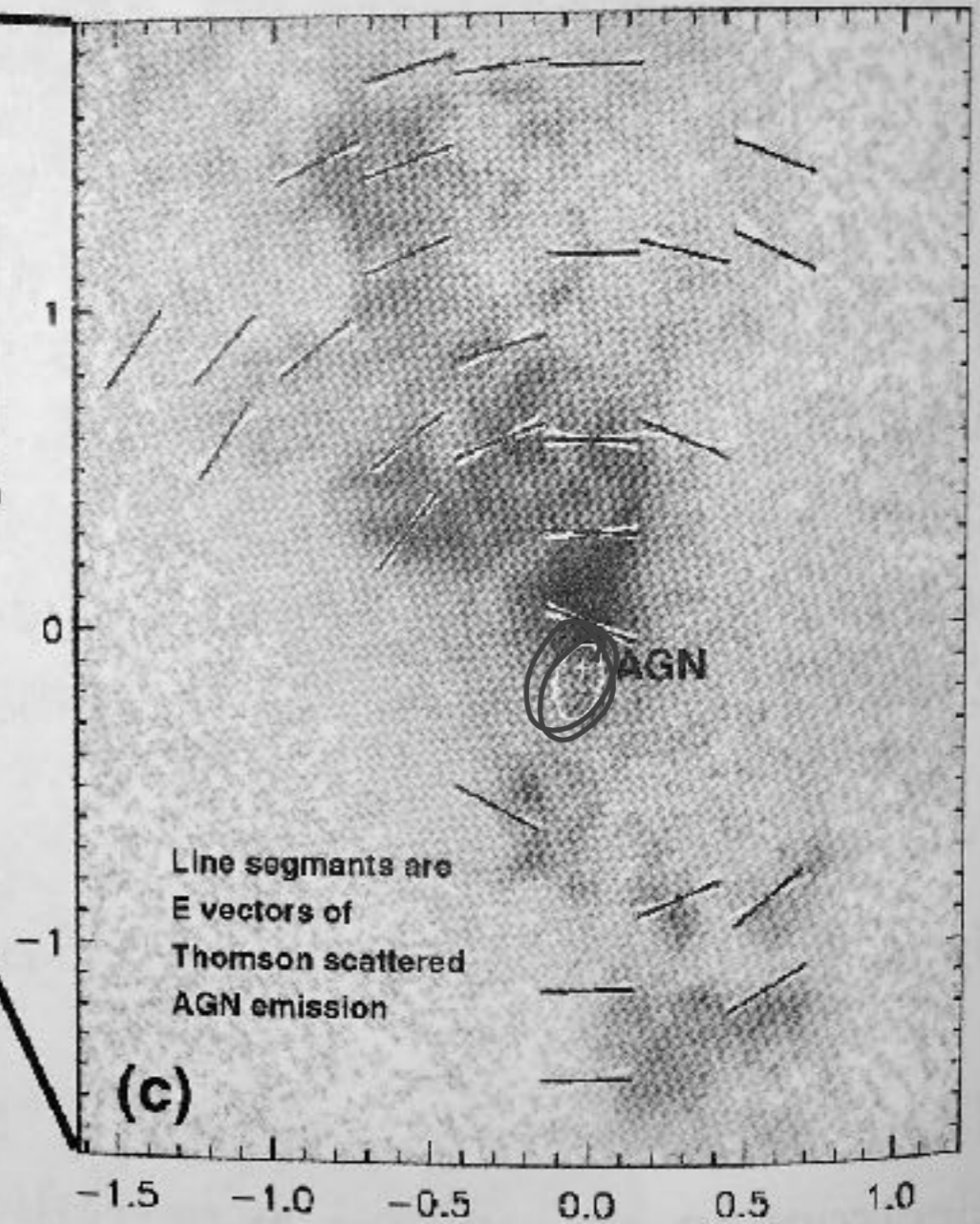
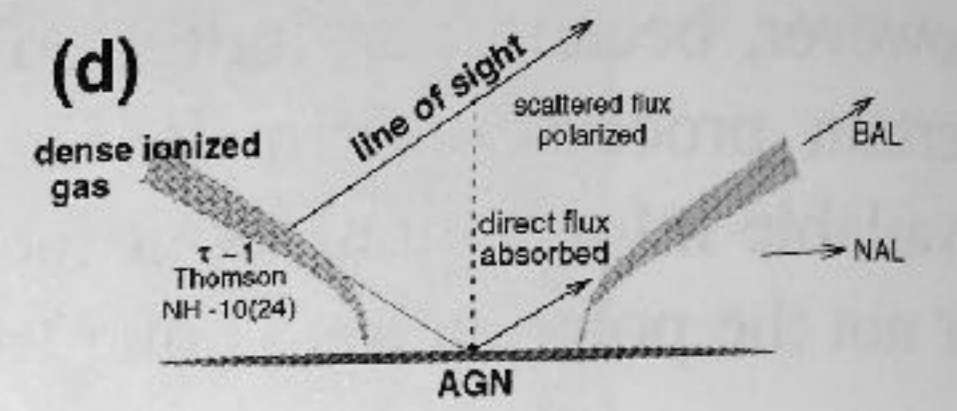
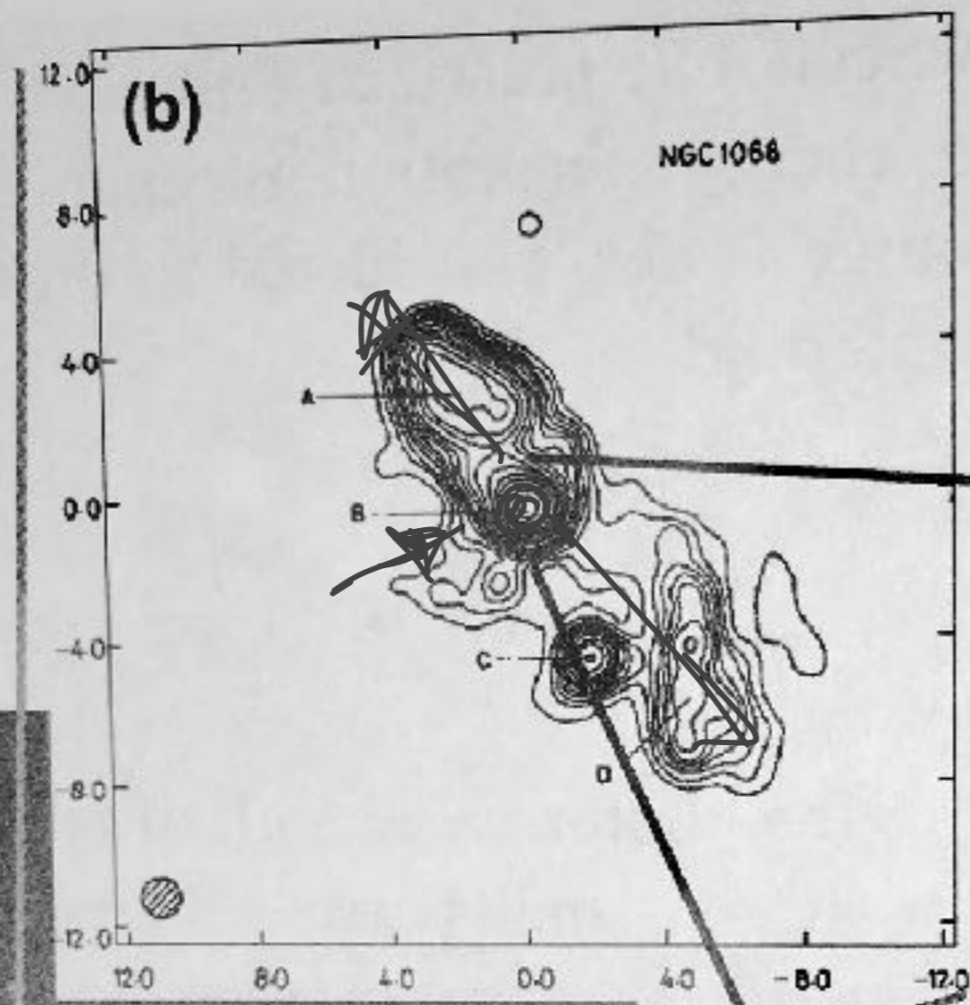
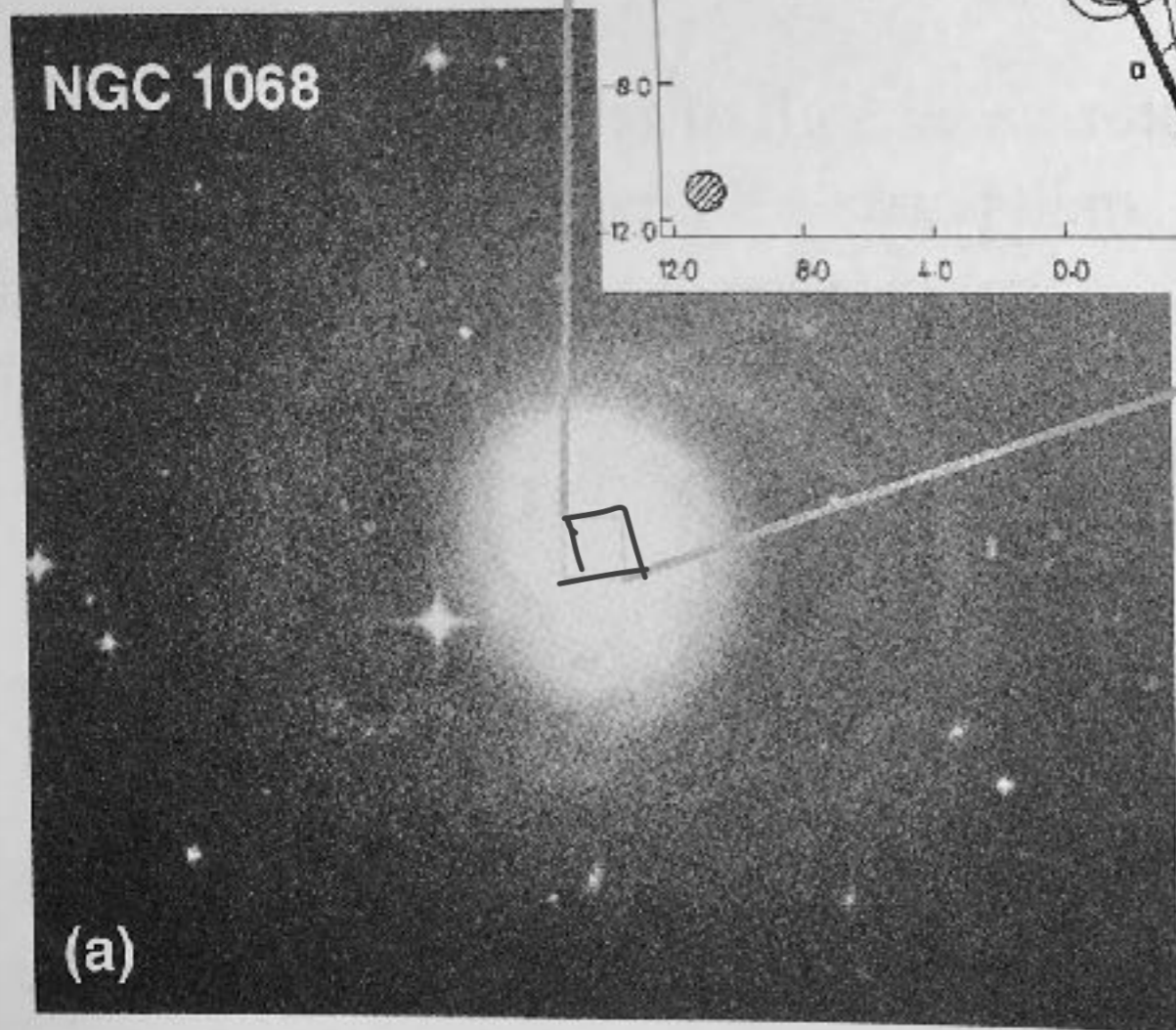
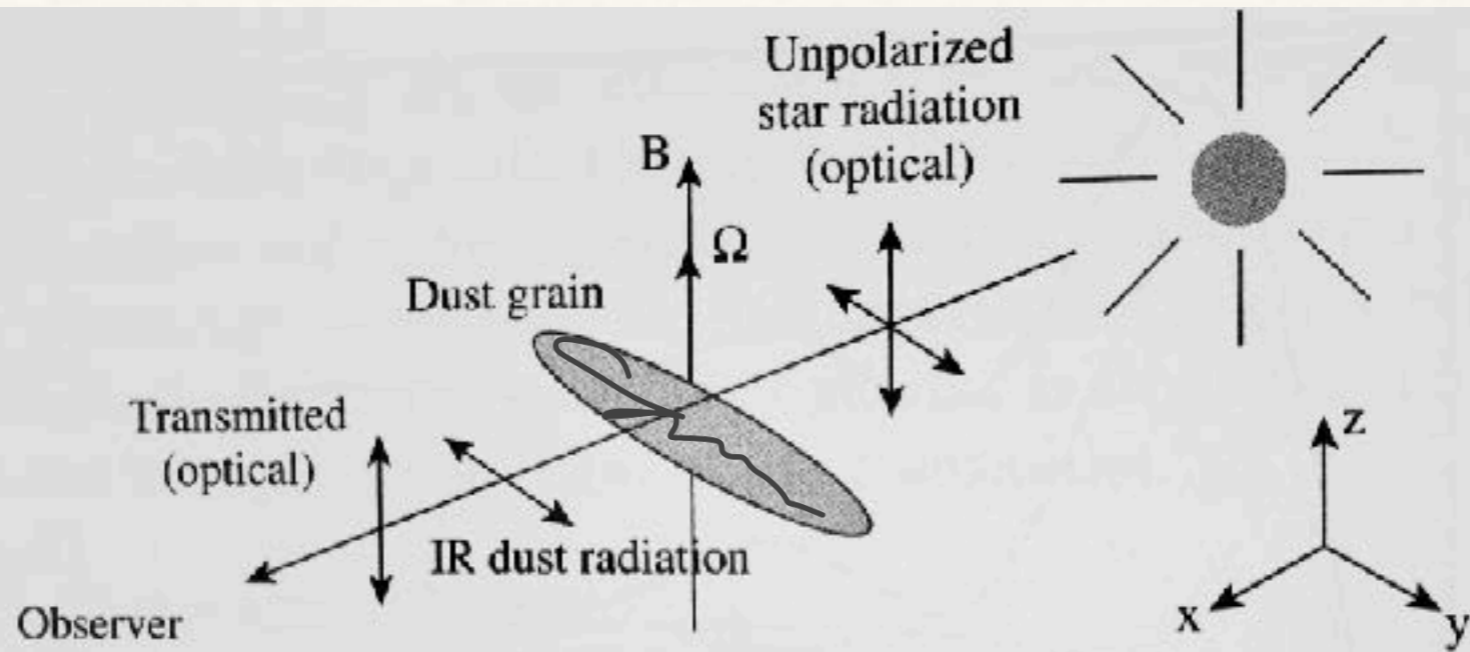




Fig. 5.5

gas cloud  
= fuel to  
study  
AGN





**Figure D.6.** An unpolarized signal from a background star becomes polarized as it interacts with an elongated dust grain that rotates about a magnetic field line. In this example, the magnetic field is parallel to the z axis and light propagates in the x direction. Incident light that has  $\vec{E}$  in the y direction is more likely to be absorbed than waves that have  $\vec{E}$  in the z direction, letting the light that has a z orientation pass through more easily. Thus, the transmitted light is polarized in a plane aligned with the magnetic field. A charged dust grain that absorbs some fraction of incident light would also re-emit it in the infrared. The emitted light would be polarized in a plane perpendicular


$\Rightarrow$  polarization in a plane aligned with  $\vec{B}$   
 (the absorbed light  $\Rightarrow$  IR pol. other direction)


Now, cross-sections  $\sigma$

(table 5.1)

3 cases

1) free  $e^-$  scattering

2) bound  $e^-$  

3) dust 



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1) a) Thomson  $\sigma = \sigma_T = 6.65 \cdot 10^{-25} \text{ cm}^2$

b) Compton (photon energy higher than rest mass energy of  $e^-$ )

often  $\gamma$ -ray photons

$\sigma = \sigma_{KN} =$  "Klein-Nishina" cross section

quantum  
& relativistic effects

decrease in  $\sigma$   
with increasing  
photon energy.

$\Rightarrow$  less efficient  
scattering when  
 $\nu \uparrow$

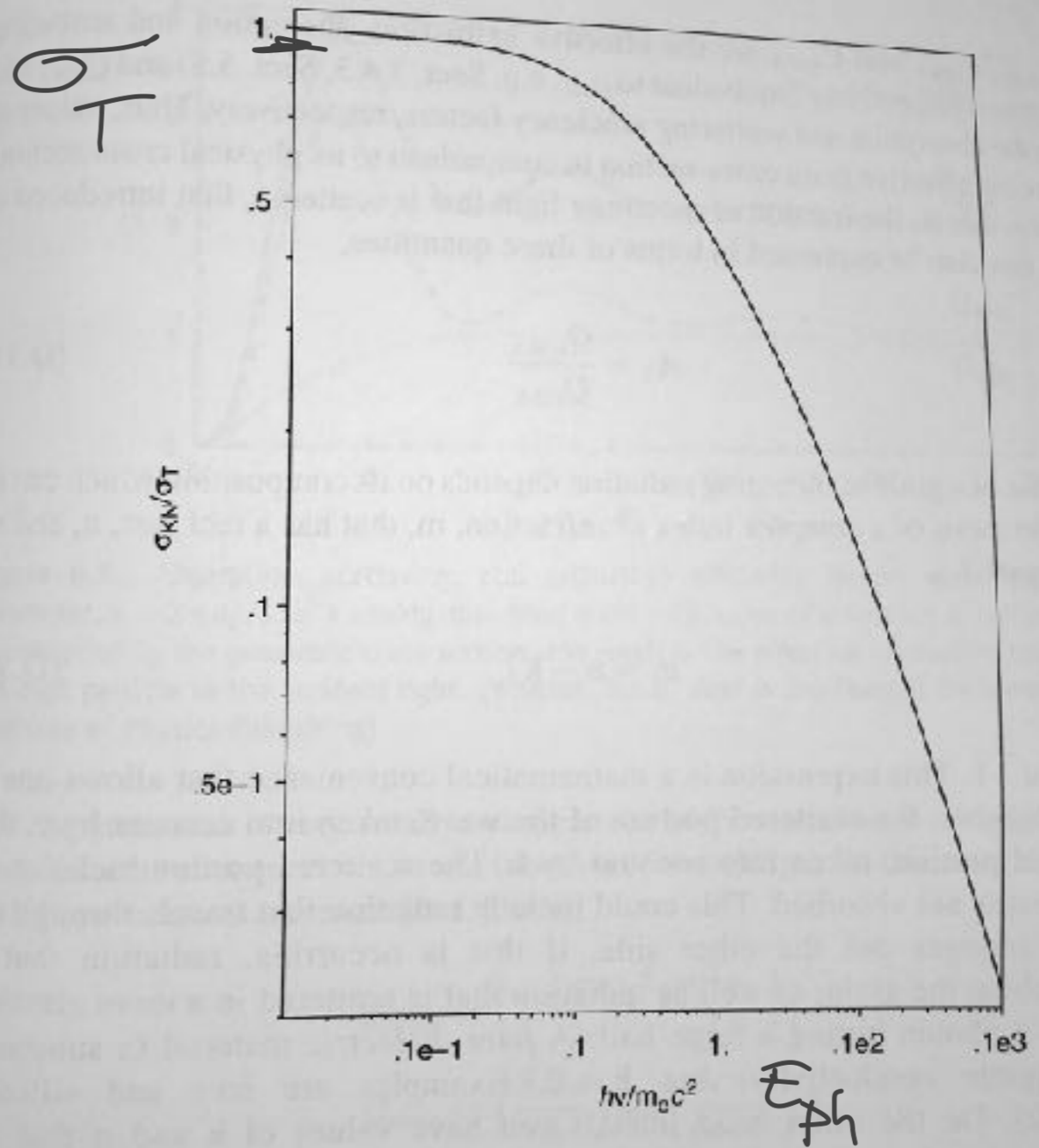


Figure D.4. Ratio of the Klein-Nishina cross-section to the Thomson cross-section,  $\sigma_{KN}/\sigma_T$  as a function of the parameter,  $h\nu/m_e c^2$ , showing the decrease in cross-section with increasing photon energy.

## 2) Scattering from bound $e^-$

a) oscillator model

$\nu \gg \nu_0$   
of radiation field

← natural  $\nu$  of oscillator  
 $e^-$  responds as if free

$$\sigma_s = \sigma_T$$

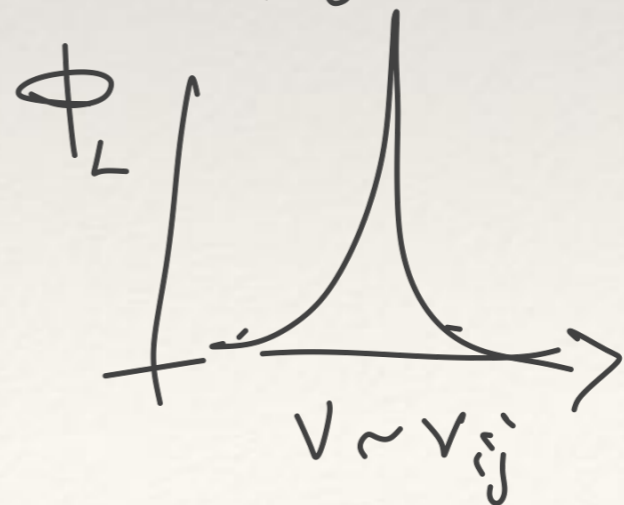
b)  $\nu \sim \nu_0$  (classical)

$\nu \sim \nu_{ij}$  (quantum)

$\sigma_s \propto \Phi_L(\nu)$  Lorentz profile

— resonance scattering  
also gives a polarized signal

fig D.2



Some probability  
photon emitted at  
different  $\nu$

$$c) \quad v \ll v_0 \quad \lambda \gg \lambda_0$$

recall deBroglie model :  $n\lambda_0 = 2\pi r$

$\lambda \gg \lambda_0$  same as  $\gg r$  (particle size)

Rayleigh scattering

$$\sigma_s \propto \frac{1}{\lambda^4}$$

(see eq D.10  
and discussion)

$N_2, O_2$  size  $\sim 0.3 \text{ nm}$