
disk-halo interface v. dynamic

But some galaxies (e.g. NGC 5746) not enough activity (SNe) to account for their x-ray halos

W10L3

Loads of
ICG -
intracluster
gas

$$M_{\text{tot ICG}} = 18x$$

M_{tot} ($\nabla \star$ in
 ∇ gas in
the cluster)

(!!!)

M_{tot} (light + DM)

> gas mass

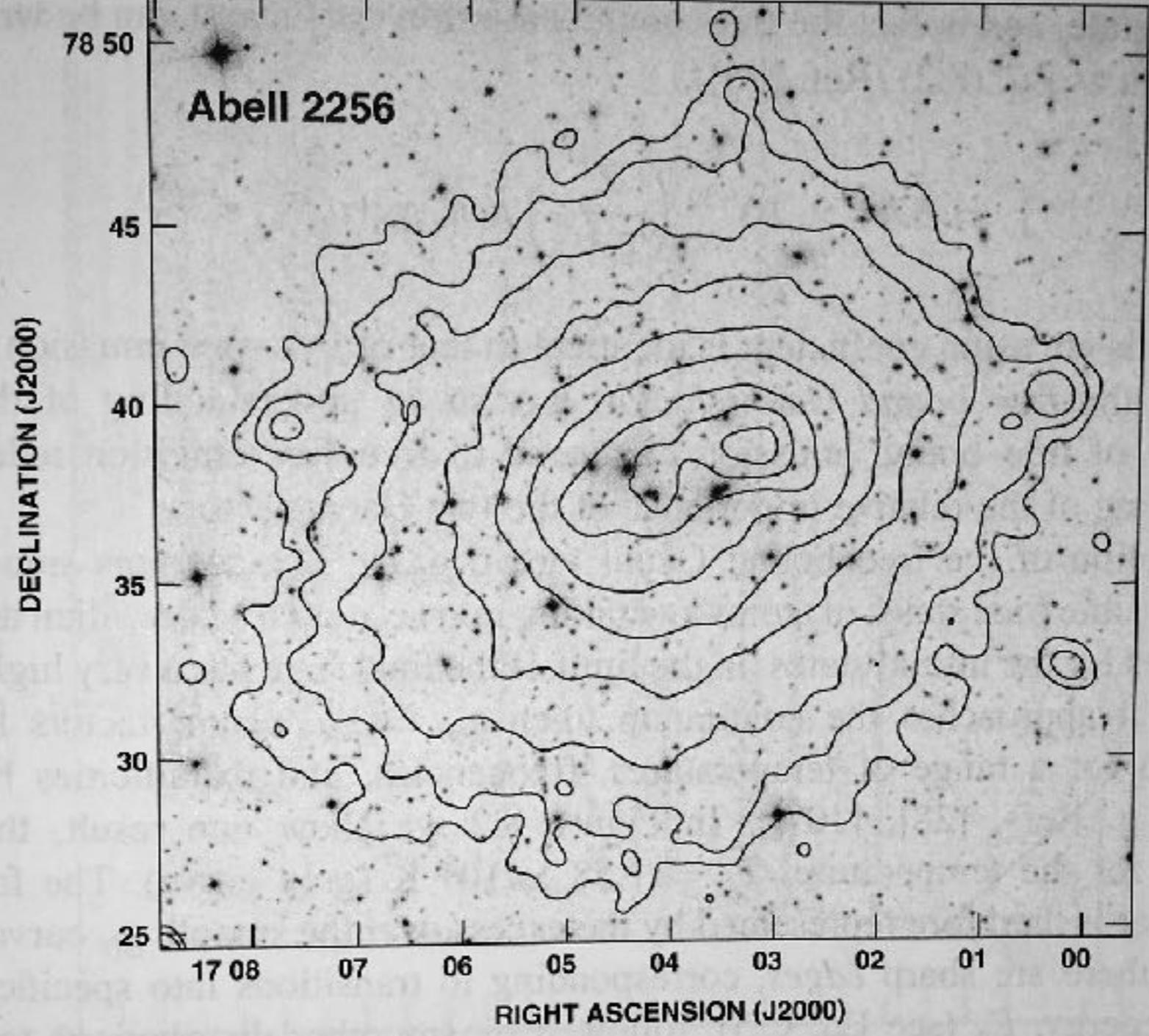


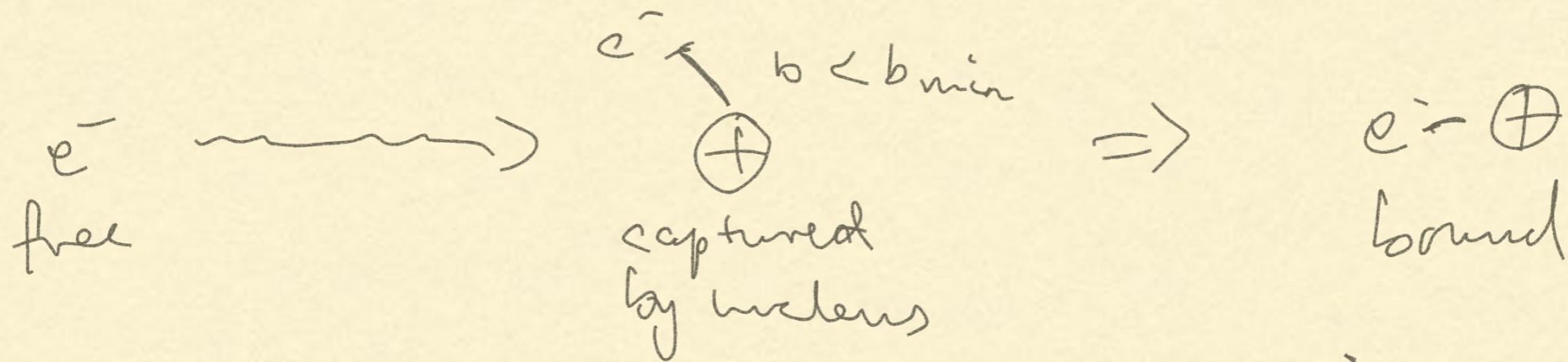
Figure 8.8. The cluster of galaxies, Abell 2256 (redshift, $z = 0.0581$), is shown in the optical (negative grayscale) and in X-rays in the observing band, 0.1–2.4 keV (contours). The gas is emitting at $kT_e = 7.5$ keV and the X-ray luminosity is $L_{0.1-2.4} = 3.6 \times 10^{44} \text{ erg s}^{-1}$ (Ref. [56]), of which 78 per cent is due to thermal Bremsstrahlung (Ref. [22]). The cluster radius is $R = 2.0$ Mpc (Ref. [141]). The total mass of the cluster, including all light and dark matter, is $M = 1.2 \times 10^{15} M_{\odot}$ (Ref. [130]). All values have been adjusted to $H_0 = 71 \text{ km s}^{-1} \text{ Mpc}^{-1}$. The optical image is in R (Ref. [130]). X-ray data were obtained from the Position Sensitive Proportional Counter (PSPC) of the Röntgen Satellite (ROSAT)

8.3 Free-bound emission (Recombination)

— continuation of X-ray Bremsstrahlung

— ionization equilibrium
rate; = rate recomb in HII regions

Here: recombination \equiv emission mechanism



\Rightarrow free-bound can only happen in ionized gases

so, free-free (B) & free-bound in same gas

also same: emission coefficient

$$j_v = 5.44 \cdot 10^{-39} \left(\frac{Z^2}{T_e^{1/2}} \right) n_i n_e g_{fb} (v, T_e) e^{-\frac{h\nu}{kT_e}}$$

So - to understand
relationship b/w f-f & f-b, study Gaunt-factor
free-bound Gaunt factor

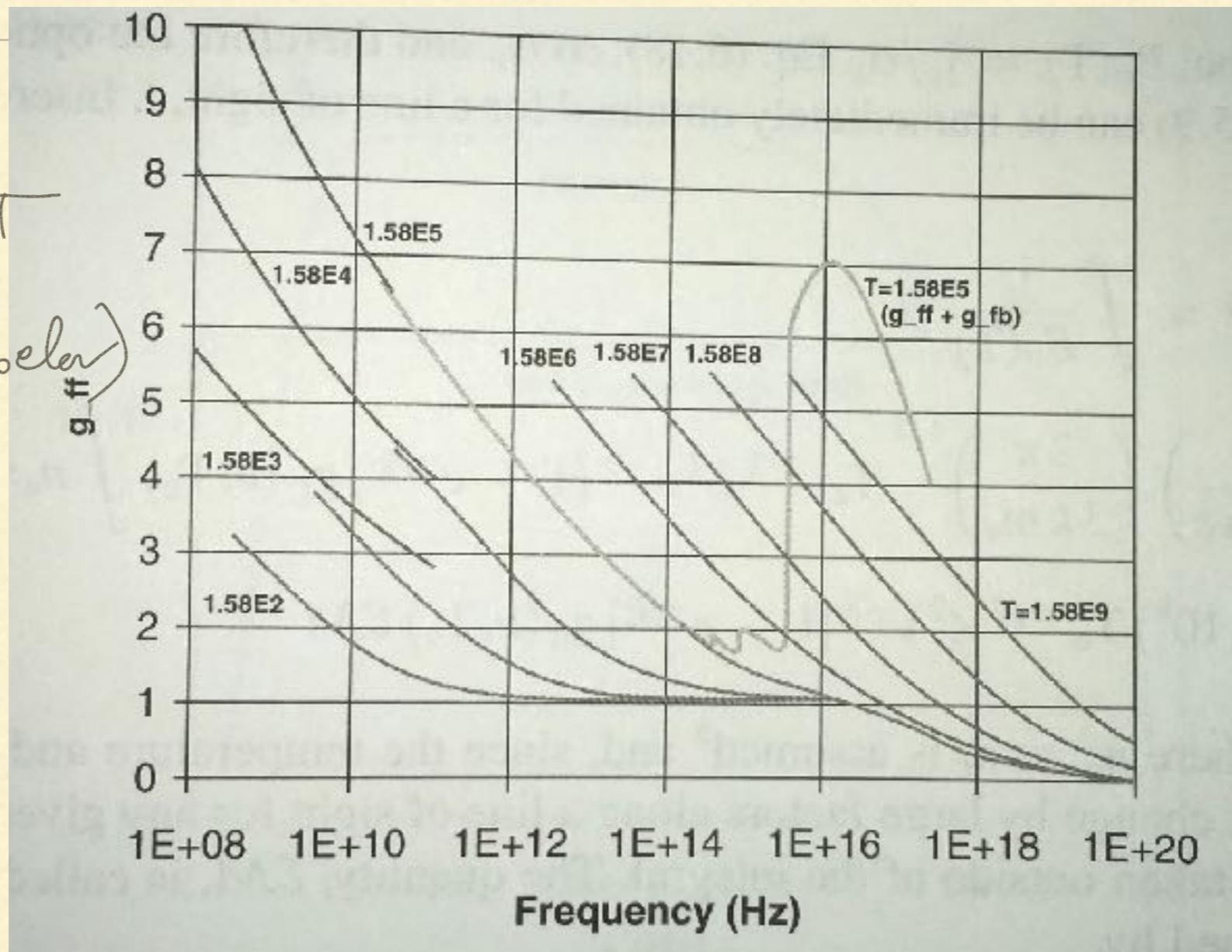
grey curve is
 $g_{ff} + g_{fb}$ for a given T
 (g_{fb} is excess over curve below)

when v is low,
 $h\nu \ll kT_e$

$g = g_{ff} \Rightarrow$ negligible
 contribution

\Rightarrow in HII regions and
 PNe only Bremsstrahlung

For much higher $v \Rightarrow e^-$ higher vel \Rightarrow less likely
 to be captured.

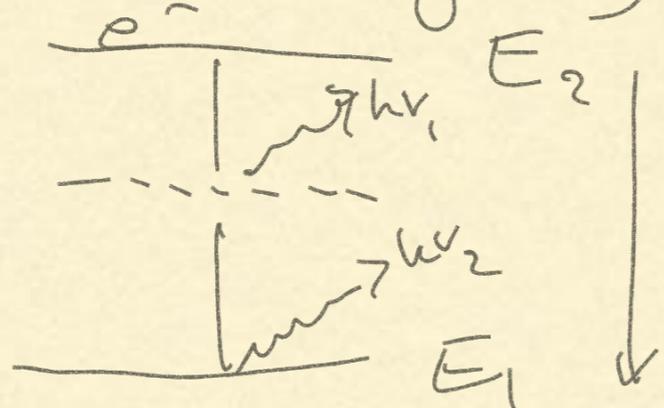


8.4 Two-photon emission

also contributes to continuum emission

bound-bound

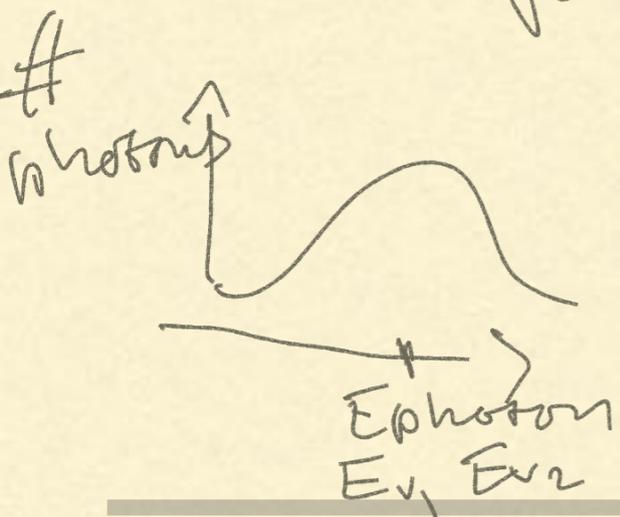
e^- can't de-excite b/c transition highly forbidden
Some do anyway by taking a break on the way



The E of the intermediate level varies

$$\Delta E = E_2 - E_1 = h\nu_1 + h\nu_2$$

Same for ν $\nu_1 + \nu_2 = \nu$
Ly α



higher probability that both photons will have same energy, same ν
highly ν -dependent, how big contribution to continuum it is depends on ν

Continuum emission

- Thermal : Free-free (Bremsstrahlung)
 - free-bound (recombination)
 - 2-photon
- Non-thermal : cyclotron emission
 - Synchrotron "
 - inverse Compton " (scattering)

Synchrotron is the same as cyclotron, only difference is that v_e are relativistic

relativistic e^- - e^- component of CR

see

3.6

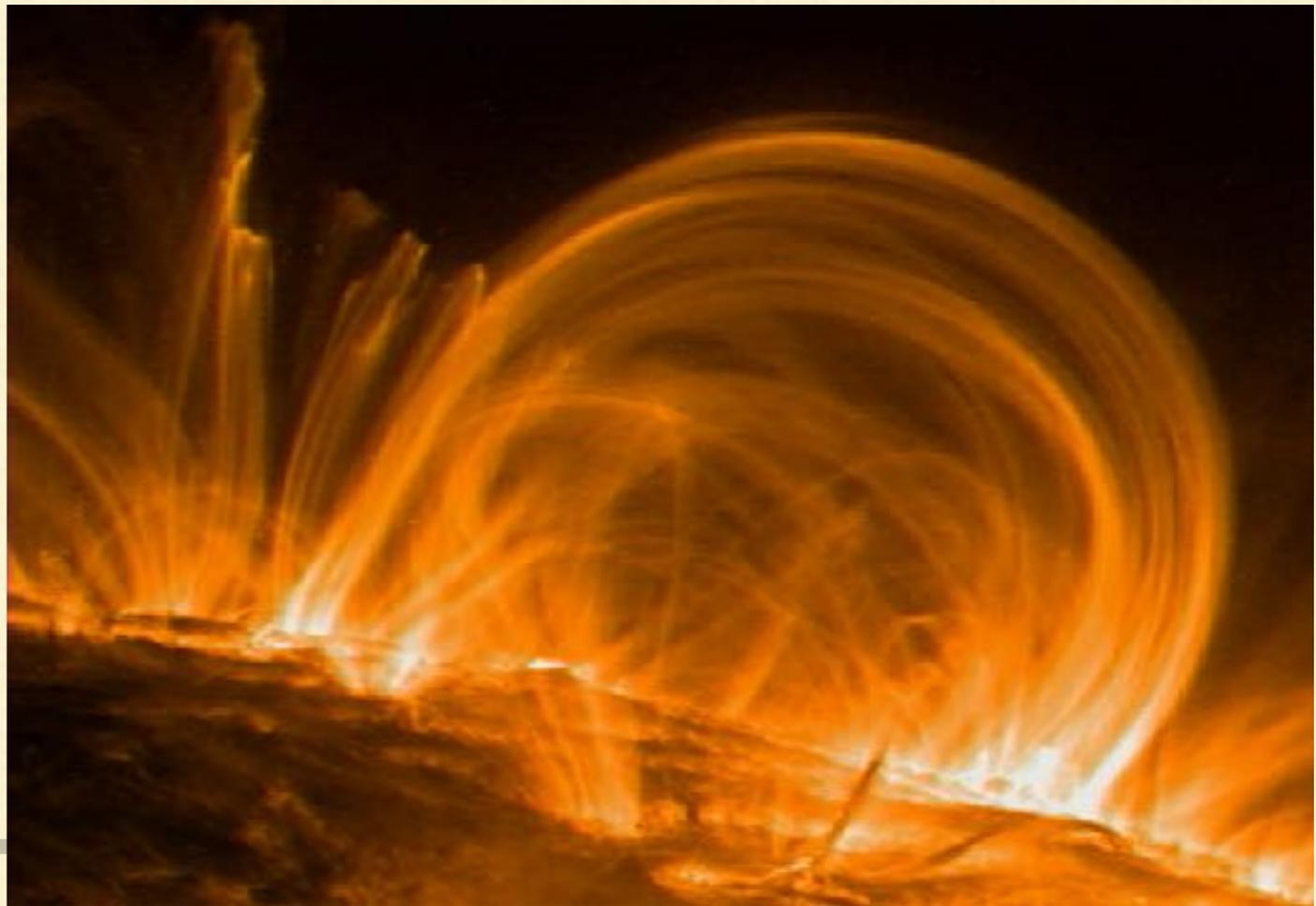
ω_B strong enough to affect dynamics of particles

cyclotron $v_e \ll c$

Synchrotron $v_e \rightarrow c$

Non-thermal emission so not Maxwell-

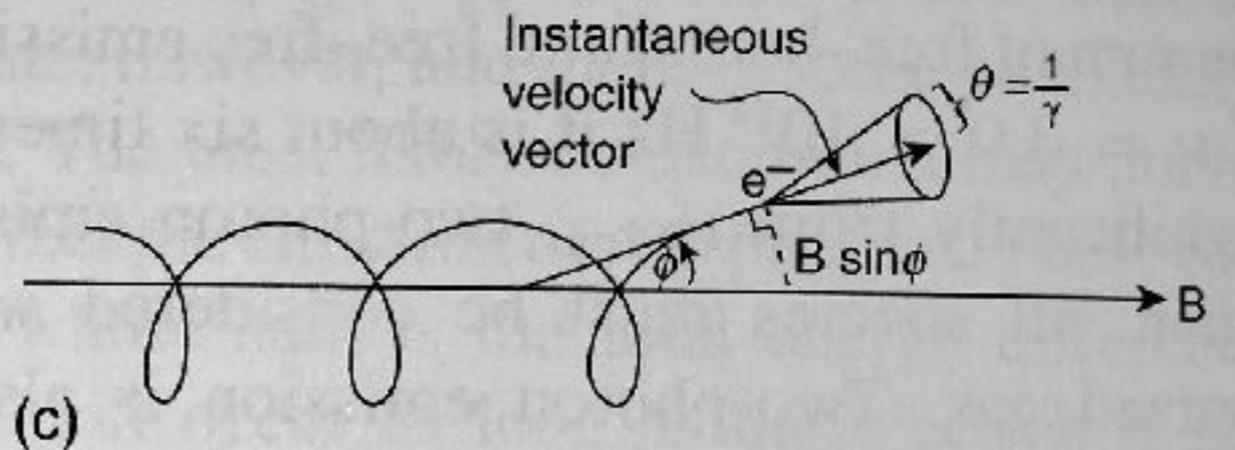
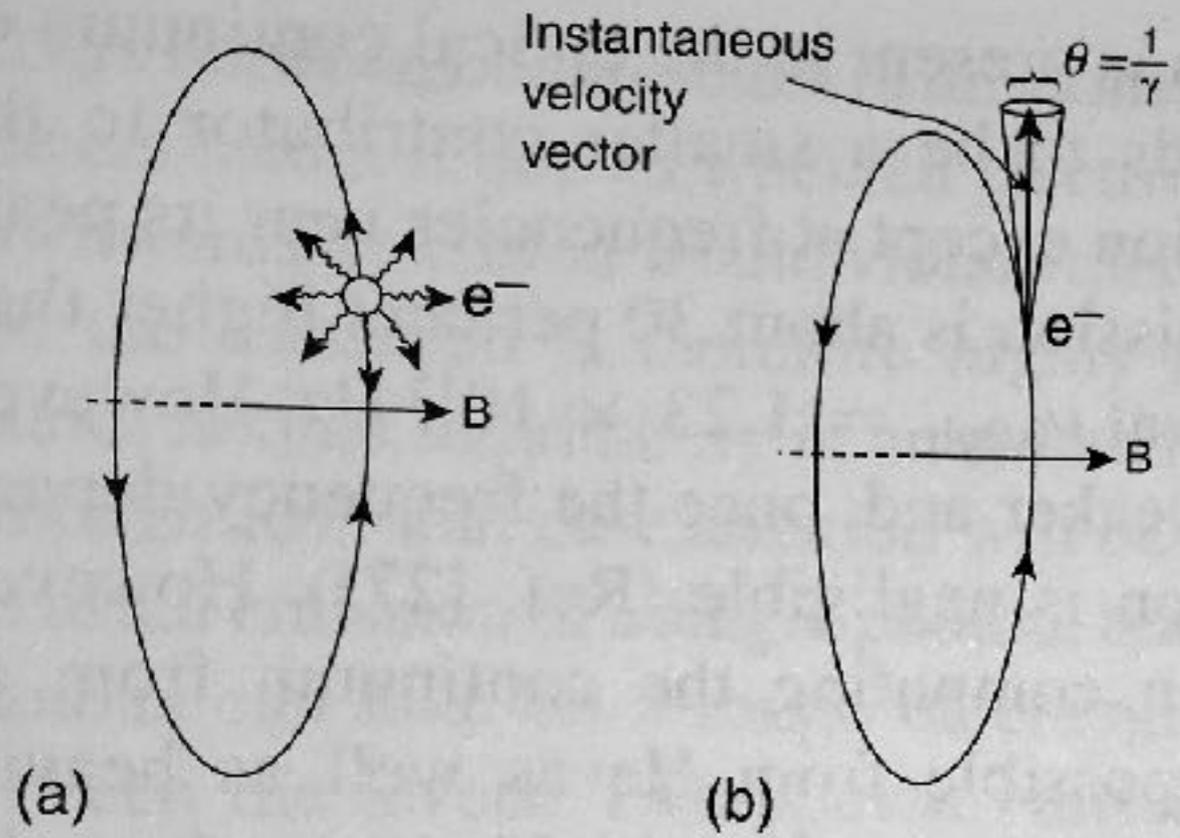
Boltzmann velocity distribution \Rightarrow no T or eq.



e^- rotating about
magn field line

$$W = v_{\perp} + v_{\parallel}$$

most realistic



8.10

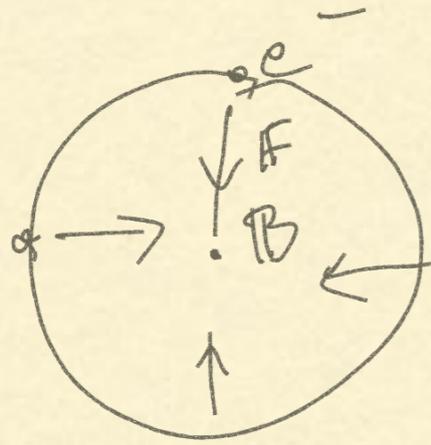
a) non-rel e^-
 $v \perp B$

IF acting on the $e^- \perp$ to both v & B
 $\Rightarrow e^-$ circles around field line
 \Rightarrow cyclotron rad in every direction

c) add some parallel component to v
 \Rightarrow spiral $\phi =$ pitch angle
 $=$ angle b/w v & B

b) Same as a but emission beamed forward into a cone of θ angular radius $= \frac{1}{\gamma}$ $\gamma =$ Lorentz factor $\frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$

emitted radiation has frequency of gyration
 ν_0 gyrofrequency of e^- around B .



v is same
 v direction changes
 \Rightarrow acceleration,
 \Rightarrow radiation

$$\mathbf{F}_e = \frac{e}{c} (\mathbf{v} \times \mathbf{B})$$

(table I 1)

$$F_e = \frac{e v}{c} B \sin \phi = \frac{e v}{c} B_{\perp}$$

pitch angle

if $v \perp B \Rightarrow \sin \phi = 1$ F max
 e^- circling

if parallel $\Rightarrow \sin \phi = 0 \Rightarrow$ no force, no radiation

if any other direction \Rightarrow spiral motion

circular, or circular + linear polarization
depending on position of observer.
